

# List of numbers

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This is a list of articles about numbers (*not* about numerals).

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## Rational numbers

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A rational number is any number that can be expressed as the quotient or fraction  $p/q$  of two integers, a numerator  $p$  and a non-zero denominator  $q$ .<sup>[1]</sup> Since  $q$  may be equal to 1, every integer is a rational number. The set of all rational numbers, often referred to as "the rationals", the field of rationals or the field of rational numbers is usually denoted by a boldface **Q** (or blackboard bold **Q**, Unicode **Q**);<sup>[2]</sup> it was thus denoted in 1895 by Giuseppe Peano after *quoziente*, Italian for "quotient".

### Natural numbers

Natural numbers are those used for counting (as in "there are six (6) coins on the table") and ordering (as in "this is the *third* (3rd) largest city in the country"). In common language, words used for counting are "cardinal numbers" and words used for ordering are "ordinal numbers". There are infinitely many natural numbers.

[show]

<u>0</u>	<u>1</u>	<u>2</u>	<u>3</u>	<u>4</u>	<u>5</u>	<u>6</u>	<u>7</u>	<u>8</u>	<u>9</u>
<u>10</u>	<u>11</u>	<u>12</u>	<u>13</u>	<u>14</u>	<u>15</u>	<u>16</u>	<u>17</u>	<u>18</u>	<u>19</u>
<u>20</u>	<u>21</u>	<u>22</u>	<u>23</u>	<u>24</u>	<u>25</u>	<u>26</u>	<u>27</u>	<u>28</u>	<u>29</u>
<u>30</u>	<u>31</u>	<u>32</u>	<u>33</u>	<u>34</u>	<u>35</u>	<u>36</u>	<u>37</u>	<u>38</u>	<u>39</u>
<u>40</u>	<u>41</u>	<u>42</u>	<u>43</u>	<u>44</u>	<u>45</u>	<u>46</u>	<u>47</u>	<u>48</u>	<u>49</u>
<u>50</u>	<u>51</u>	<u>52</u>	<u>53</u>	<u>54</u>	<u>55</u>	<u>56</u>	<u>57</u>	<u>58</u>	<u>59</u>
<u>60</u>	<u>61</u>	<u>62</u>	<u>63</u>	<u>64</u>	<u>65</u>	<u>66</u>	<u>67</u>	<u>68</u>	<u>69</u>
<u>70</u>	<u>71</u>	<u>72</u>	<u>73</u>	<u>74</u>	<u>75</u>	<u>76</u>	<u>77</u>	<u>78</u>	<u>79</u>
<u>80</u>	<u>81</u>	<u>82</u>	<u>83</u>	<u>84</u>	<u>85</u>	<u>86</u>	<u>87</u>	<u>88</u>	<u>89</u>
<u>90</u>	<u>91</u>	<u>92</u>	<u>93</u>	<u>94</u>	<u>95</u>	<u>96</u>	<u>97</u>	<u>98</u>	<u>99</u>
<u>100</u>	<u>101</u>	<u>102</u>	<u>103</u>	<u>104</u>	<u>105</u>	<u>106</u>	<u>107</u>	<u>108</u>	<u>109</u>
<u>110</u>	<u>111</u>	<u>112</u>	<u>113</u>	<u>114</u>	<u>115</u>	<u>116</u>	<u>117</u>	<u>118</u>	<u>119</u>
<u>120</u>	<u>121</u>	<u>122</u>	<u>123</u>	<u>124</u>	<u>125</u>	<u>126</u>	<u>127</u>	<u>128</u>	<u>129</u>
<u>130</u>	<u>131</u>	<u>132</u>	<u>133</u>	<u>134</u>	<u>135</u>	<u>136</u>	<u>137</u>	<u>138</u>	<u>139</u>
<u>140</u>	<u>141</u>	<u>142</u>	<u>143</u>	<u>144</u>	<u>145</u>	<u>146</u>	<u>147</u>	<u>148</u>	<u>149</u>
<u>150</u>	<u>151</u>	<u>152</u>	<u>153</u>	<u>154</u>	<u>155</u>	<u>156</u>	<u>157</u>	<u>158</u>	<u>159</u>
<u>160</u>	<u>161</u>	<u>162</u>	<u>163</u>	<u>164</u>	<u>165</u>	<u>166</u>	<u>167</u>	<u>168</u>	<u>169</u>
<u>170</u>	<u>171</u>	<u>172</u>	<u>173</u>	<u>174</u>	<u>175</u>	<u>176</u>	<u>177</u>	<u>178</u>	<u>179</u>
<u>180</u>	<u>181</u>	<u>182</u>	<u>183</u>	<u>184</u>	<u>185</u>	<u>186</u>	<u>187</u>	<u>188</u>	<u>189</u>
<u>190</u>	<u>191</u>	<u>192</u>	<u>193</u>	<u>194</u>	<u>195</u>	<u>196</u>	<u>197</u>	<u>198</u>	<u>199</u>
<u>200</u>	<u>201</u>	<u>202</u>	<u>203</u>	<u>204</u>	<u>205</u>	<u>206</u>	<u>207</u>	<u>208</u>	<u>209</u>
<u>210</u>	<u>211</u>	<u>212</u>	<u>213</u>	<u>214</u>	<u>215</u>	<u>216</u>	<u>217</u>	<u>218</u>	<u>219</u>
<u>220</u>	<u>221</u>	<u>222</u>	<u>223</u>	<u>224</u>	<u>225</u>	<u>226</u>	<u>227</u>	<u>228</u>	<u>229</u>
<u>230</u>	<u>231</u>	<u>232</u>	<u>233</u>	<u>234</u>	<u>235</u>	<u>236</u>	<u>237</u>	<u>238</u>	<u>239</u>
<u>240</u>	<u>241</u>	<u>242</u>	<u>243</u>	<u>244</u>	<u>245</u>	<u>246</u>	<u>247</u>	<u>248</u>	<u>249</u>
<u>250</u>	<u>251</u>	<u>252</u>	<u>253</u>	<u>254</u>	<u>255</u>	<u>256</u>	<u>257</u>	<u>258</u>	<u>259</u>
						<u>260</u>	<u>270</u>	<u>280</u>	<u>290</u>
			<u>300</u>	<u>400</u>	<u>500</u>	<u>600</u>	<u>700</u>	<u>800</u>	<u>900</u>
	<u>1000</u>	<u>2000</u>	<u>3000</u>	<u>4000</u>	<u>5000</u>	<u>6000</u>	<u>7000</u>	<u>8000</u>	<u>9000</u>
	<u>10000</u>	<u>20000</u>	<u>30000</u>	<u>40000</u>	<u>50000</u>	<u>60000</u>	<u>70000</u>	<u>80000</u>	<u>90000</u>
					<u>10<sup>5</sup></u>	<u>10<sup>6</sup></u>	<u>10<sup>7</sup></u>	<u>10<sup>8</sup></u>	<u>10<sup>9</sup></u>
				<u>10<sup>10</sup></u>	<u>10<sup>100</sup></u>	<u>10<sup>10<sup>100</sup></sup></u>	Larger numbers		

(Note that the status of 0 is ambiguous. In set theory and computer science, 0 is considered a natural number. In number theory, it usually is not.)

## Powers of ten (scientific notation)

A power of ten is a number  $10^k$ , where  $k$  is an integer. For instance, with  $k = 0, 1, 2, 3, \dots$ , the appropriate powers of ten are 1, 10, 100, 1000, ... Powers of ten can also be fractional: for instance  $k = -3$  gives  $1/1000$ , or 0.001.

In scientific notation, real numbers are written in the form  $m \times 10^n$ . The number 394,000 is written in this form as  $3.94 \times 10^5$ .

## Integers

### Notable integers

Integers that are notable for their mathematical properties or cultural meanings include:

- -40, the equal point in the Fahrenheit and Celsius scales.
- -1, the additive inverse of unity
- 0, the additive identity.
- 1, the multiplicative identity Also the only natural number (not including 0) that isn't prime or composite.
- 2, the base of the binary number system, used in almost all modern computers and information systems. Also notable as the only even prime number.
- 3, significant in Christianity as the Trinity. Also considered significant in Hinduism (Trimurti, Tridevi). Holds significance in a number of ancient mythologies.
- 4, the first composite number, also considered an "unlucky number" in modern China due to its audible similarity to the word "Death."
- 6, the first of the series of perfect numbers, whose proper factors sum to the number itself.
- 7, considered a "lucky" number in Western cultures.
- 8, considered a "lucky" number in Chinese culture.
- 9, the first odd number that is composite.
- 10, the number base for most modern counting systems.
- 12, the number base for some ancient counting systems and the basis for some modern measuring systems. Known as a dozen.
- 13, considered an "unlucky" number in Western superstition. Also known as a "Baker's Dozen".
- 20, known as a score.
- 28, the second perfect number.
- 42, the "answer to the ultimate question of life, the universe, and everything" in the popular science fiction work *The Hitchhiker's Guide to the Galaxy*
- 60, the number base for some ancient counting systems, such as the Babylonians', and the basis for many modern measuring systems.
- 69, used as slang to refer to a sexual act.
- 86, a slang term that is used in the American popular culture as a transitive verb to mean throw out or get rid of.
- 108, considered sacred by the Dharmic Religions Approximately equal to the ratio of the distance from Earth to Sun and diameter of the Sun.
- 144, a dozen times dozen, known as a gross.
- 255,  $2^8 - 1$ , a Mersenne number and the smallest perfect totient number that is neither a power of three nor thrice a prime; it is also the largest number that can be represented using a 8-bit unsigned integer.
- 420, a code-term that refers to the consumption of cannabis.
- 496, the third perfect number.
- 666, the Number of the Beast from the Book of Revelation.
- 786, regarded as sacred in the Muslim Abjad numerology.
- 1729, the Hardy–Ramanujan number, also known as the second taxicab number, that is, the smallest positive integer that can be written as the sum of two positive cubes in two different ways.<sup>[4]</sup>
- 5040, mentioned by Plato in the Laws as one of the most important numbers for the city It is also the largest factorial ( $7! = 5040$ ) that is also a highly composite number
- 8128, the fourth perfect number
- 65535,  $2^{16} - 1$ , the maximum value of a 16-bit unsigned integer
- 65537,  $2^{16} + 1$ , the most popular RSA public key prime exponent in most SSL/TLS certificates on the WWW/Internet.
- 142857, the smallest base 10 cyclic number.

- 2147483647,  $2^{31} - 1$ , the maximum value of a 32-bit signed integer using two's complement representation.
- 9814072356, the largest perfect power that contains no repeated digits in base ten.
- 9223372036854775807,  $2^{63} - 1$ , the maximum value of a 64-bit signed integer using two's complement representation.

## Named numbers

- Googol ( $10^{100}$ ) and googolplex ( $10^{(10^{100})}$ ) and googolplexian ( $10^{(10^{(10^{100})})}$ ) or 1 followed by a googolplex of zeros.
- Graham's number
- Moser's number
- Shannon number
- Hardy–Ramanujan number(1729)
- Skewes' number
- Avogadro's number
- Kaprekar's constant(6174)

## Prime numbers

A prime number is a positive integer which has exactly two divisors: 1 and itself.

The first 100 prime numbers are:

[show]

<u>2</u>	<u>3</u>	<u>5</u>	<u>7</u>	<u>11</u>	<u>13</u>	<u>17</u>	<u>19</u>	<u>23</u>	<u>29</u>
<u>31</u>	<u>37</u>	<u>41</u>	<u>43</u>	<u>47</u>	<u>53</u>	<u>59</u>	<u>61</u>	<u>67</u>	<u>71</u>
<u>73</u>	<u>79</u>	<u>83</u>	<u>89</u>	<u>97</u>	<u>101</u>	<u>103</u>	<u>107</u>	<u>109</u>	<u>113</u>
<u>127</u>	<u>131</u>	<u>137</u>	<u>139</u>	<u>149</u>	<u>151</u>	<u>157</u>	<u>163</u>	<u>167</u>	<u>173</u>
<u>179</u>	<u>181</u>	<u>191</u>	<u>193</u>	<u>197</u>	<u>199</u>	<u>211</u>	<u>223</u>	<u>227</u>	<u>229</u>
<u>233</u>	<u>239</u>	<u>241</u>	<u>251</u>	<u>257</u>	<u>263</u>	<u>269</u>	<u>271</u>	<u>277</u>	<u>281</u>
<u>283</u>	<u>293</u>	<u>307</u>	<u>311</u>	<u>313</u>	<u>317</u>	<u>331</u>	<u>337</u>	<u>347</u>	<u>349</u>
<u>353</u>	<u>359</u>	<u>367</u>	<u>373</u>	<u>379</u>	<u>383</u>	<u>389</u>	<u>397</u>	<u>401</u>	<u>409</u>
<u>419</u>	<u>421</u>	<u>431</u>	<u>433</u>	<u>439</u>	<u>443</u>	<u>449</u>	<u>457</u>	<u>461</u>	<u>463</u>
<u>467</u>	<u>479</u>	<u>487</u>	<u>491</u>	<u>499</u>	<u>503</u>	<u>509</u>	<u>521</u>	<u>523</u>	<u>541</u>

## Highly composite numbers

A highly composite number (HCN) is a positive integer with more divisors than any smaller positive integer. They are often used in geometry, grouping and time measurement.

The first 20 highly composite numbers are:

1, 2, 4, 6, 12, 24, 36, 48, 60, 120, 180, 240, 360, 720, 840, 1260, 1680, 2520, 5040, 7560.

## Perfect numbers

A perfect number is an integer that is the sum of its positive proper divisors (all divisors except itself).

The first 10 perfect numbers:

1	<u>6</u>
2	<u>28</u>
3	<u>496</u>
4	<u>8 128</u>
5	33 550 336
6	8 589 869 056
7	137 438 691 328
8	2 305 843 008 139 952 128
9	2 658 455 991 569 831 744 654 692 615 953 842 176
10	191 561 942 608 236 107 294 793 378 084 303 638 130 997 321 548 169 216

## Cardinal numbers

In the following tables, [and] indicates that the word *and* is used in some dialects (such as British English), and omitted in other dialects (such as American English).

### Small numbers

This table demonstrates the standard English construction of small cardinal numbers up to one hundred million—names for which all variants of English agree.

Value	Name	Alternate names, and names for sets of the given size
0	<u>Zero</u>	aught, cipher, cypher, donut, dot, duck, goose egg,love, nada, naught, nil, none, nought, nowt, null, ought, oh, squat, zed, zilch, zip, zippo, Sunya (Sanskrit)
1	One	ace, individual, single, singleton, unaryunit, unity, Pratham(Sanskrit)
2	Two	binary, brace, couple, couplet, distich, deuce, double, doubleton, duad, duality, duet, duo, dyad, pair, span, twain, twin, twosome, yoke
3	Three	deuce-ace, leash, set, tercet, ternary,ternion, terzetto, threesome, tierce, trey, triad, trine, trinity, trio, triplet, troika, hat-trick
4	Four	foursome, quadruplet, quatern, quaternary,quaternity, quartet, tetrad
5	Five	cinque, fin, fivesome, pentad, quint, quintet, quintuplet
6	Six	half dozen, hexad, sestet, sextet, sextuplet, sise
7	Seven	heptad, septet, septuple, <u>walking stick</u>
8	Eight	octad, octave, octet, octonary, octuplet, ogdoad
9	Nine	ennead
10	Ten	deca, decade, das ( <u>India</u> )
11	Eleven	onze, onze, ounce, <u>banker's dozen</u>
12	Twelve	dozen
13	Thirteen	<u>baker's dozen</u> , long dozen <sup>[5]</sup>
14	Fourteen	
15	Fifteen	
16	Sixteen	
17	Seventeen	
18	Eighteen	
19	Nineteen	
20	Twenty	score,
21	Twenty-one	long score <sup>[5]</sup>
22	Twenty-two	Deuce-deuce
23	Twenty-three	
24	Twenty-four	two dozen
25	Twenty-five	
26	Twenty-six	
27	Twenty-seven	
28	Twenty-eight	
29	Twenty-nine	
30	Thirty	
31	Thirty-one	
32	Thirty-two	
40	Forty	two-score
50	Fifty	half-century
60	Sixty	three-score

70	Seventy	three-score and ten
80	Eighty	four-score
87	Eighty-seven	<u>four-score and seven</u>
90	Ninety	four-score and ten
100	One hundred	centred, century, ton, short hundred
101	One hundred [and] one	
110	One hundred [and] ten	
111	One hundred [and] eleven	eleventy-one <sup>[6]</sup>
120	One hundred [and] twenty	long hundred, <sup>[5]</sup> great hundred, ( <i>obsolete</i> ) hundred
121	One hundred [and] twenty-one	
144	One hundred [and] forty-four	<u>gross</u> , dozen dozen, small gross
200	Two hundred	
300	Three hundred	
400	Four hundred	
500	Five hundred	
600	Six hundred	
666	Six hundred [and] sixty-six	
700	Seven hundred	
777	Seven hundred [and] seventy-seven	
800	Eight hundred	
900	Nine hundred	
1 000	One thousand	chiliad, grand, G, thou, yard, kilo, k, <u>millennium</u> , Hazaar ( <u>India</u> )
1 001	One thousand [and] one	
1 010	One thousand [and] ten	
1 011	One thousand [and] eleven	
1 024	One thousand [and] twenty-four	kibi or kilo in <u>computing</u> , see <u>binary prefix</u> (kilo is shortened to K, Kibi to Ki)
1 100	One thousand one hundred	Eleven hundred
1 101	One thousand one hundred [and] one	
1 728	One thousand seven hundred [and] twenty-eight	great gross, long gross, dozen gross
2 000	Two thousand	
3 000	Three thousand	
10 000	Ten thousand	<u>myriad</u> , <u>wan</u> (China)
100 000	One hundred thousand	<u>lakh</u>
500 000	Five hundred thousand	<u>crore</u> (Iranian)
1 000 000	One million	Mega, meg, mil, (often shortened to M)
1 048 576	One million forty-eight thousand five hundred	Mibi or Mega in <u>computing</u> , see <u>binary prefix</u> (Mega is shortened to M, Mibi to Mi)

	[and] seventy-six	
10 000 000	Ten million	<u>crore</u> (Indian)(Pakistan)
100 000 000	One hundred million	<u>yi</u> (China)

### English names for powers of 10

This table compares the English names of cardinal numbers according to various American, British, and Continental European conventions. See [English numerals](#) or [names of large numbers](#) for more information on naming numbers.



	Short scale		Long scale		Power	
Value	American	British (Nicolas Chuquet)	Continental European (Jacques Peletier du Mans)	of a thousand	of a million	
$10^0$		One		$1000^{-1+1}$	$1000000^0$	
$10^1$		Ten				
$10^2$		Hundred				
$10^3$		Thousand		$1000^{0+1}$	$1000000^{0.5}$	
$10^6$		Million		$1000^{1+1}$	$1000000^1$	
$10^9$	Billion	Thousand million	Milliard	$1000^{2+1}$	$1000000^{1.5}$	
$10^{12}$	Trillion	Billion		$1000^{3+1}$	$1000000^2$	
$10^{15}$	Quadrillion	Thousand billion	Billiard	$1000^{4+1}$	$1000000^{2.5}$	
$10^{18}$	Quintillion	Trillion		$1000^{5+1}$	$1000000^3$	
$10^{21}$	Sextillion	Thousand trillion	Trilliard	$1000^{6+1}$	$1000000^{3.5}$	
$10^{24}$	Septillion	Quadrillion		$1000^{7+1}$	$1000000^4$	
$10^{27}$	Octillion	Thousand quadrillion	Quadrilliard	$1000^{8+1}$	$1000000^{4.5}$	
$10^{30}$	Nonillion	Quintillion		$1000^{9+1}$	$1000000^5$	
$10^{33}$	Decillion	Thousand quintillion	Quintilliard	$1000^{10+1}$	$1000000^{5.5}$	
$10^{36}$	Undecillion	Sextillion		$1000^{11+1}$	$1000000^6$	
$10^{39}$	Duodecillion	Thousand sextillion	Sextilliard	$1000^{12+1}$	$1000000^{6.5}$	
$10^{42}$	Tredecillion	Septillion		$1000^{13+1}$	$1000000^7$	
$10^{45}$	Quattuordecillion	Thousand septillion	Septilliard	$1000^{14+1}$	$1000000^{7.5}$	
$10^{48}$	Quindecillion	Octillion		$1000^{15+1}$	$1000000^8$	
$10^{51}$	Sexdecillion	Thousand octillion	Octilliard	$1000^{16+1}$	$1000000^{8.5}$	
$10^{54}$	Septendecillion	Nonillion		$1000^{17+1}$	$1000000^9$	
$10^{57}$	Octodecillion	Thousand nonillion	Nonilliard	$1000^{18+1}$	$1000000^{9.5}$	
$10^{60}$	Novemdecillion	Decillion		$1000^{19+1}$	$1000000^{10}$	
$10^{63}$	Vigintillion	Thousand decillion	Decilliard	$1000^{20+1}$	$1000000^{10.5}$	
$10^{66}$	Unvigintillion	Undecillion		$1000^{21+1}$	$1000000^{11}$	
$10^{69}$	Duovigintillion	Thousand undecillion	Undecilliard	$1000^{22+1}$	$1000000^{11.5}$	
$10^{72}$	Trevigintillion	Duodecillion		$1000^{23+1}$	$1000000^{12}$	
$10^{75}$	Quattuorvigintillion	Thousand duodecillion	Duodecilliard	$1000^{24+1}$	$1000000^{12.5}$	
$10^{78}$	Quinvigintillion	Tredecillion		$1000^{25+1}$	$1000000^{13}$	
$10^{81}$	Sexvigintillion	Thousand tredecillion	Tredecilliard	$1000^{26+1}$	$1000000^{13.5}$	
$10^{84}$	Septenvigintillion	Quattuordecillion		$1000^{27+1}$	$1000000^{14}$	
$10^{87}$	Octovigintillion	Thousand quattuordecillion	Quattuordecilliard	$1000^{28+1}$	$1000000^{14.5}$	
$10^{90}$	Novemvigintillion	Quindecillion		$1000^{29+1}$	$1000000^{15}$	

$10^{93}$	Trigintillion	Thousand quindecillion	Quindecilliard	$1000^{30+1}$	$1000000^{15.5}$
$10^{96}$	Untrigintillion	Sexdecillion		$1000^{31+1}$	$1000000^{16}$
$10^{99}$	Duotrigintillion	Thousand sexdecillion	Sexdecilliard	$1000^{32+1}$	$1000000^{16.5}$
...	...	...		...	...
$10^{120}$	Novemtrigintillion	Vigintillion		$1000^{39+1}$	$1000000^{20}$
$10^{123}$	Quadragintillion	Thousand vigintillion	Vigintilliard	$1000^{40+1}$	$1000000^{20.5}$
...	...	...		...	...
$10^{153}$	Quinquagintillion	Thousand quinvigintillion	Quinvigintilliard	$1000^{50+1}$	$1000000^{25.5}$
...	...	...		...	...
$10^{180}$	Novemquinquagintillion	Trigintillion		$1000^{59+1}$	$1000000^{30}$
$10^{183}$	Sexagintillion	Thousand trigintillion	Trigintilliard	$1000^{60+1}$	$1000000^{30.5}$
...	...	...		...	...
$10^{213}$	Septuagintillion	Thousand quintrigintillion	Quintrigintilliard	$1000^{70+1}$	$1000000^{35.5}$
...	...	...		...	...
$10^{240}$	Novemseptuagintillion	Quadragintillion		$1000^{79+1}$	$1000000^{40}$
$10^{243}$	Octogintillion	Thousand quadragintillion	Quadragintilliard	$1000^{80+1}$	$1000000^{40.5}$
...	...	...		...	...
$10^{273}$	Nonagintillion	Thousand quinquadragintillion	Quinquadragintilliard	$1000^{90+1}$	$1000000^{45.5}$
...	...	...		...	...
$10^{300}$	Novemnonagintillion	Quinquagintillion		$1000^{99+1}$	$1000000^{50}$
$10^{303}$	<u>Centillion</u>	Thousand quinquagintillion	Quinquagintilliard	$1000^{100+1}$	$1000000^{50.5}$
...	...	...		...	...
$10^{360}$	Cennovemdecillion	Sexagintillion		$1000^{119+1}$	$1000000^{60}$
$10^{420}$	Cennovemtrigintillion	Septuagintillion		$1000^{139+1}$	$1000000^{70}$
$10^{480}$	Cennovemquinquagintillion	Octogintillion		$1000^{159+1}$	$1000000^{80}$
$10^{540}$	Cennovemseptuagintillion	Nonagintillion		$1000^{179+1}$	$1000000^{90}$
$10^{600}$	Cennovemnonagintillion	<u>Centillion</u>		$1000^{199+1}$	$1000000^{100}$
$10^{603}$	Ducentillion	Thousand centillion	<u>Centilliard</u>	$1000^{200+1}$	$1000000^{100.5}$

There is no consistent and widely accepted way to extend cardinals beyond centillion (centilliard).

## SI prefixes for powers of 10

Value	$1000^m$	<u>SI prefix</u>	Name	<u>Binary prefix</u>	$1024^m = 2^{10m}$	Value
1 000	$1000^1$	k	<u>Kilo</u>	Ki	$1024^1$	1 024
1 000 000	$1000^2$	M	<u>Mega</u>	Mi	$1024^2$	1 048 576
1 000 000 000	$1000^3$	G	<u>Giga</u>	Gi	$1024^3$	1 073 741 824
1 000 000 000 000	$1000^4$	T	<u>Tera</u>	Ti	$1024^4$	1 099 511 627 776
1 000 000 000 000 000	$1000^5$	P	<u>Peta</u>	Pi	$1024^5$	1 125 899 906 842 624
1 000 000 000 000 000 000	$1000^6$	E	<u>Exa</u>	Ei	$1024^6$	1 152 921 504 606 846 976
1 000 000 000 000 000 000 000	$1000^7$	Z	<u>Zetta</u>	Zi	$1024^7$	1 180 591 620 717 411 303 424
1 000 000 000 000 000 000 000 000	$1000^8$	Y	<u>Yotta</u>	Yi	$1024^8$	1 208 925 819 614 629 174 706 176

## Fractional numbers

This is a table of English names for non-negative rational numbers less than or equal to 1. It also lists alternative names, but there is no widespread convention for the names of extremely small positive numbers.

Keep in mind that rational numbers like 0.12 can be represented in infinitely many ways, e.g. *zero-point-one-two* (0.12), *twelve percent* (12%), *three twenty-fifths* ( $\frac{3}{25}$ ), *nine seventy-fifths* ( $\frac{9}{75}$ ), *six fiftieths* ( $\frac{6}{50}$ ), *twelve hundredths* ( $\frac{12}{100}$ ), *twenty-four two-hundredths* ( $\frac{24}{200}$ ), etc.

Value	Fraction	Common names	Alternative names
1	$\frac{1}{1}$	One	0.999..., Unity
0.9	$\frac{9}{10}$	Nine tenths, [zero] point nine	
0.8	$\frac{4}{5}$	Four fifths, eight tenths, [zero] point eight	
0.7	$\frac{7}{10}$	Seven tenths, [zero] point seven	
0.6	$\frac{3}{5}$	Three fifths, six tenths, [zero] point six	
0.5	$\frac{1}{2}$	One half, five tenths, [zero] point five	
0.4	$\frac{2}{5}$	Two fifths, four tenths, [zero] point four	
0.333 333...	$\frac{1}{3}$	One third	
0.3	$\frac{3}{10}$	Three tenths, [zero] point three	
0.25	$\frac{1}{4}$	One quarter, one fourth, twenty-five hundredths, [zero] point two five	
0.2	$\frac{1}{5}$	One fifth, two tenths, [zero] point two	
0.166 666...	$\frac{1}{6}$	One sixth	
0.142 857 142 857...	$\frac{1}{7}$	One seventh	
0.125	$\frac{1}{8}$	One eighth, one-hundred-[and-]twenty-five thousandths, [zero] point one two five	
0.111 111...	$\frac{1}{9}$	One ninth	
0.1	$\frac{1}{10}$	One tenth, [zero] point one	One perdecime, one perdime
0.090 909...	$\frac{1}{11}$	One eleventh	
0.09	$\frac{9}{100}$	Nine hundredths, [zero] point zero nine	
0.083 333...	$\frac{1}{12}$	One twelfth	
0.08	$\frac{2}{25}$	Two twenty-fifths, eight hundredths, [zero] point zero eight	
0.0625	$\frac{1}{16}$	One sixteenth, six-hundred-[and-]twenty-five ten-thousandths, [zero] point zero six two five	
0.05	$\frac{1}{20}$	One twentieth, [zero] point zero five	
0.047 619 047 619...	$\frac{1}{21}$	One twenty-first	
0.045 454 545...	$\frac{1}{22}$	One twenty-second	
0.043 478 260 869 565 217 391 304 347...	$\frac{1}{23}$	One twenty-third	
0.041 666...	$\frac{1}{24}$	One twenty-fourth	

0.033 333...	$\frac{1}{30}$	One thirtieth	
0.03125	$\frac{1}{32}$	One thirty-second, thirty one-hundred [and] twenty five hundred-thousandths, [zero] point zero three one two five	
0.016 666...	$\frac{1}{60}$	One sixtieth	
0.015625	$\frac{1}{64}$	One sixty-fourth, ten thousand fifty six-hundred [and] twenty-five millionths, [zero] point zero one five six two five	
0.012 345 679 012 345 679...	$\frac{1}{81}$	One eighty-first	
0.01	$\frac{1}{100}$	One hundredth, [zero] point zero one	One <u>percent</u>
0.001	$\frac{1}{1000}$	One thousandth, [zero] point zero zero one	One <u>permille</u>
0.000 277 777...	$\frac{1}{3600}$	One thirty-six hundredth	
0.0001	$\frac{1}{10\ 000}$	One ten-thousandth, [zero] point zero zero zero one	One <u>myriadth</u> , one <u>permyria</u> , one <u>permyriad</u> , one <u>basis point</u>
0.000 01	$\frac{1}{100\ 000}$	One hundred-thousandth	One <u>lakhth</u> , one <u>perlakh</u>
0.000 001	$\frac{1}{1\ 000\ 000}$	One millionth	One <u>ppm</u>
0.000 000 1	$\frac{1}{10\ 000\ 000}$	One ten-millionth	One <u>croth</u> , one <u>percrore</u>
0.000 000 01	$\frac{1}{100\ 000\ 000}$	One hundred-millionth	
0.000 000 001	$\frac{1}{1\ 000\ 000\ 000}$	One billionth (in some dialects)	One <u>ppb</u>
0	$\frac{0}{1}$	<u>Zero</u>	Nil

## **Irrational and suspected irrational numbers**

### **Algebraic numbers**

Expression	Approximate value	Notes
$\frac{\sqrt{3}}{4}$	0.433 012 701 892 219 323 381 861 585 376	Area of an <u>equilateral triangle</u> with side length 1.
$\frac{\sqrt{5} - 1}{2}$	0.618 033 988 749 894 848 204 586 834 366	<u>Golden ratio conjugate</u> $\Phi$ , <u>reciprocal</u> of and one less than the <u>golden ratio</u> .
$\frac{\sqrt{3}}{2}$	0.866 025 403 784 438 646 763 723 170 753	Height of an <u>equilateral triangle</u> with side length 1.
$^{12}\sqrt{2}$	1.059 463 094 359 295 264 561 825 294 946	Twelfth root of two Proportion between the frequencies of adjacent <u>semitones</u> in the equal <u>temperament scale</u> .
$\frac{3\sqrt{2}}{4}$	1.060 660 171 779 821 286 601 266 543 157	The size of the cube that satisfies <u>Prince Rupert's cube</u> .
$\sqrt[3]{2}$	1.259 921 049 894 873 164 767 210 607 278	Cube root of two. Length of the edge of a cube with volume two. See <u>doubling the cube</u> for the significance of this number.
—	1.303 577 269 034 296 391 257 099 112 153	<u>Conway's constant</u> defined as the unique positive real root of a certain polynomial of degree 71.
$\sqrt[3]{\frac{1}{2} + \frac{1}{6}\sqrt{\frac{23}{3}}} + \sqrt[3]{\frac{1}{2} - \frac{1}{6}\sqrt{\frac{23}{3}}}$	1.324 717 957 244 746 025 960 908 854 478	<u>Plastic number</u> , the unique real root of the cubic equation $x^3 = x + 1$ .
$\sqrt{2}$	1.414 213 562 373 095 048 801 688 724 210	$\sqrt{2} = 2 \sin 45^\circ = 2 \cos 45^\circ$ Square root of two a.k.a. <u>Pythagoras' constant</u> Ratio of <u>diagonal</u> to side length in a <u>square</u> . Proportion between the sides of <u>paper sizes</u> in the <u>ISO 216 series</u> (originally <u>DIN 476 series</u> ).
$\frac{1}{3} + \frac{2}{3\sqrt[3]{116 + 12\sqrt{93}}} + \frac{1}{6}\sqrt[3]{116 + 12\sqrt{93}}$	1.465 571 231 876 768 026 656 731 225 220	The limit to the ratio between subsequent numbers in the <u>binary Look-and-say sequence</u> .
$\frac{\sqrt{5 + 2\sqrt{5}}}{2}$	1.538 841 768 587 626 701 285 145 288 018	Altitude of a <u>regular pentagon</u> with side length 1.
$\frac{\sqrt{17} - 1}{2}$	1.561 552 812 808 830 274 910 704 927 987	The <u>Triangular root</u> of 2.

$\frac{\sqrt{5} + 1}{2}$	1.618 033 988 749 894 848 204 586 834 366	Golden ratio ( $\phi$ ), the larger of the two real roots of $x^2 = x + 1$ .
$\frac{5}{4\sqrt{5} - 2\sqrt{5}}$	1.720 477 400 588 966 922 759 011 977 389	Area of a regular pentagon with side length 1.
$\sqrt{3}$	1.732 050 807 568 877 293 527 446 341 506	$\sqrt{3} = 2 \sin 60^\circ = 2 \cos 30^\circ$ Square root of three a.k.a. <i>the measure of the fish</i> . Length of the space diagonal of a cube with edge length 1. Length of the diagonal of a $1 \times \sqrt{2}$ rectangle. Altitude of an equilateral triangle with side length 2. Altitude of a regular hexagon with side length 1 and diagonal length 2.
$\frac{1 + \sqrt[3]{19 + 3\sqrt{33}} + \sqrt[3]{19 - 3\sqrt{33}}}{3}$	1.839 286 755 214 161 132 551 852 564 653	The Tribonacci constant. Appears in the volume and coordinates of the snub cube and some related polyhedra. It satisfies the equation $x + x^{-3} = 2$ .
$\sqrt{5}$	2.236 067 977 499 789 696 409 173 668 731	Square root of five Length of the diagonal of a $1 \times 2$ rectangle. Length of the diagonal of a $\sqrt{2} \times \sqrt{3}$ rectangle. Length of the space diagonal of a $1 \times \sqrt{2} \times \sqrt{2}$ rectangular box
$\sqrt{2} + 1$	2.414 213 562 373 095 048 801 688 724 210	Silver ratio ( $\delta_S$ ), the larger of the two real roots of $x^2 = 2x + 1$ . Altitude of a regular octagon with side length 1.
$\sqrt{6}$	2.449 489 742 783 178 098 197 284 074 706	$\sqrt{2} \cdot \sqrt{3} =$ area of a $\sqrt{2} \times \sqrt{3}$ rectangle. Length of the space diagonal of a $1 \times 1 \times 2$ rectangular box. Length of the diagonal of a $1 \times \sqrt{5}$ rectangle. Length of the diagonal of a $2 \times \sqrt{2}$ rectangle. Length of the diagonal of a square with side length $\sqrt{3}$ .
$\frac{3\sqrt{3}}{2}$	2.598 076 113 533 159 402 911 695 122 588	Area of a regular hexagon with side length 1.
—		

$\sqrt{7}$	2.645 751 311 064 590 590 501 615 753 639	<p>Length of the <u>space diagonal</u> of a <math>1 \times 2 \times \sqrt{2}</math> <u>rectangular box</u></p> <p>Length of the <u>diagonal</u> of a <math>1 \times \sqrt{6}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>2 \times \sqrt{3}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{2} \times \sqrt{5}</math> <u>rectangle</u>.</p>
$\sqrt{8}$	2.828 427 124 746 190 097 603 377 448 419	<p><math>2\sqrt{2}</math></p> <p>Volume of a <u>cube</u> with <u>edge length</u> <math>\sqrt{2}</math>.</p> <p>Length of the <u>diagonal</u> of a <u>square</u> with <u>side length</u> 2.</p> <p>Length of the <u>diagonal</u> of a <math>1 \times \sqrt{7}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{2} \times \sqrt{6}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{3} \times \sqrt{5}</math> <u>rectangle</u>.</p>
$\sqrt{10}$	3.162 277 660 168 379 331 998 893 544 433	<p><math>\sqrt{2} \cdot \sqrt{5} =</math> <u>area</u> of a <math>\sqrt{2} \times \sqrt{5}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>1 \times 3</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>2 \times \sqrt{6}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{3} \times \sqrt{7}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <u>square</u> with <u>side length</u> <math>\sqrt{5}</math>.</p>
$\sqrt{11}$	3.316 624 790 355 399 849 114 932 736 671	<p>Length of the <u>space diagonal</u> of a <math>1 \times 1 \times \frac{1}{3}</math> <u>rectangular box</u></p> <p>Length of the <u>diagonal</u> of a <math>1 \times \sqrt{10}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>2 \times \sqrt{7}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>3 \times \sqrt{2}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{3} \times \sqrt{8}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{5} \times \sqrt{6}</math> <u>rectangle</u>.</p>
$\sqrt{12}$	3.464 101 615 137 754 587 054 892 683 012	<p><math>2\sqrt{3}</math></p> <p>Length of the <u>space diagonal</u> of a <u>cube</u> with <u>edge length</u> 2.</p> <p>Length of the <u>diagonal</u> of a <math>1 \times \sqrt{11}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>2 \times \sqrt{8}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>3 \times \sqrt{3}</math> <u>rectangle</u>.</p> <p>Length of the <u>diagonal</u> of a <math>\sqrt{2} \times \sqrt{10}</math> <u>rectangle</u>.</p>



	Length of the diagonal of a $\sqrt{5} \times \sqrt{7}$ rectangle. Length of the diagonal of a square with side length $\sqrt{6}$ .
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## Transcendental numbers

- $(-1)^i = e^{-\pi} = 0.043\ 213\ 9183\dots$
- Liouville constant  $c = 0.110\ 001\ 000\ 000\ 000\ 000\ 001\ 000\dots$
- Champernowne constant  $C_{10} = 0.123\ 456\ 789\ 101\ 112\ 131\ 415\ 16\dots$
- $i^i = \sqrt{e^{-\pi}} = 0.207\ 879\ 576\dots$
- $\frac{1}{\pi} = 0.318\ 309\ 886\ 183\ 790\ 671\ 537\ 767\ 526\ 745\ 028\ 724\ 068\ 919\ 291\ 480\dots$ <sup>[7]</sup>
- $\frac{1}{e} = 0.367\ 879\ 441\ 171\ 442\ 321\ 595\ 523\ 770\ 161\ 460\ 867\ 445\ 811\ 131\ 031\dots$ <sup>[7]</sup>
- Prouhet–Thue–Morse constant  $\tau = 0.412\ 454\ 033\ 640\dots$
- $\log_{10} e = 0.434\ 294\ 481\ 903\ 251\ 827\ 651\ 128\ 918\ 916\ 605\ 082\ 294\ 397\ 005\ 803\dots$ <sup>[7]</sup>
- Omega constant  $\Omega = 0.567\ 143\ 290\ 409\ 783\ 872\ 999\ 968\ 6622\dots$
- Cahen's constant  $c = 0.643\ 410\ 546\ 29\dots$
- ln 2:  $0.693\ 147\ 180\ 559\ 945\ 309\ 417\ 232\ 121\ 458\dots$
- $\frac{\pi}{\sqrt{18}} = 0.7404\dots$  the maximum density of sphere packing in three dimensional Euclidean space according to the Kepler conjecture<sup>[8]</sup>
- Gauss's constant  $G = 0.834\ 6268\dots$
- $\frac{\pi}{\sqrt{12}} = 0.9068\dots$ , the fraction of the plane covered by the densest possible circle packing<sup>[9]</sup>
- $e^i + e^{-i} = 2 \cos 1 = 1.080\ 604\ 61\dots$
- $\frac{\pi^4}{90} = \zeta(4) = 1.082\ 323\dots$ <sup>[10]</sup>
- $\sqrt{2}_s$ :  $1.559\ 610\ 469\dots$ <sup>[11]</sup>
- $\log_2 3$ :  $1.584\ 962\ 501\dots$  (the logarithm of any positive integer to any integer base greater than 1 is either rational or transcendental)
- Gaussian integral  $\sqrt{\pi} = 1.772\ 453\ 850\ 905\ 516\dots$
- Komornik–Loreti constant  $q = 1.787\ 231\ 650\dots$
- Universal parabolic constant  $P_2 = 2.295\ 587\ 149\ 39\dots$
- Gelfond–Schneider constant  $2^{\sqrt{2}} = 2.665\ 144\ 143\dots$
- $e = 2.718\ 281\ 828\ 459\ 045\ 235\ 360\ 287\ 471\ 353\dots$
- $\pi = 3.141\ 592\ 653\ 589\ 793\ 238\ 462\ 643\ 383\ 279\dots$
- $i^i = \sqrt{e^{-\pi}} = 4.810\ 477\ 381\dots$
- Tau, or  $2\pi$ :  $\tau = 6.283\ 185\ 307\ 179\ 586\dots$ , The ratio of the circumference to a radius, and the number of radians in a complete circle<sup>[12][13]</sup>
- Gelfond's constant  $23.140\ 692\ 632\ 779\ 25\dots$
- Ramanujan's constant  $e^{\pi\sqrt{163}} = 262\ 537\ 412\ 640\ 768\ 743.999\ 999\ 999\ 999\ 25\dots$

## Suspected transcendentals

These are irrational numbers that are thought to be, but have not yet been proved to be, transcendental.

- Z(1):  $-0.736\ 305\ 462\ 867\ 317\ 734\ 677\ 899\ 828\ 925\ 614\ 672\dots$
- Heath-Brown–Moroz constant  $C = 0.001\ 317\ 641\dots$
- Kepler–Bouwkamp constant  $0.114\ 942\ 0448\dots$
- MRB constant  $0.187\ 859\dots$
- Meissel–Mertens constant  $M = 0.261\ 497\ 212\ 847\ 642\ 783\ 755\ 426\ 838\ 608\ 695\ 859\ 0516\dots$
- Bernstein's constant  $\beta = 0.280\ 169\ 4990\dots$
- Strongly carefree constant  $0.286\ 747\dots$ <sup>[14]</sup>

- Gauss–Kuzmin–Wirsing constant  $\lambda_1 = 0.303\ 663\ 0029\dots$ <sup>[15]</sup>
- Hafner–Sarnak–McCurley constant  $0.353\ 236\ 3719\dots$
- Artin's constant  $0.373\ 955\ 8136\dots$
- Prime constant  $\rho = 0.414\ 682\ 509\ 851\ 111\ 660\ 248\ 109\ 622\dots$
- Carefree constant  $0.428\ 249\dots$ <sup>[16]</sup>
- S(1):  $0.438\ 259\ 147\ 390\ 354\ 766\ 076\ 756\ 696\ 625\ 152\dots$
- F(1):  $0.538\ 079\ 506\ 912\ 768\ 419\ 136\ 387\ 420\ 407\ 556\dots$
- Stephens' constant  $0.575\ 959\dots$ <sup>[17]</sup>
- Euler–Mascheroni constant  $\gamma = 0.577\ 215\ 664\ 901\ 532\ 860\ 606\ 512\ 090\ 082\dots$
- Golomb–Dickman constant  $\lambda = 0.624\ 329\ 988\ 543\ 550\ 870\ 992\ 936\ 383\ 100\ 837\ 24\dots$
- Twin prime constant  $C_2 = 0.660\ 161\ 815\ 846\ 869\ 573\ 927\ 812\ 110\ 014\dots$
- Copeland–Erdős constant  $0.235\ 711\ 131\ 719\ 232\ 931\ 374\ 143\dots$
- Feller–Tornier constant  $0.661\ 317\dots$ <sup>[18]</sup>
- Laplace limit  $\varepsilon = 0.662\ 743\ 4193\dots$ <sup>[1]</sup>
- Taniguchi's constant  $0.678\ 234\dots$ <sup>[19]</sup>
- Continued Fraction Constant  $C = 0.697\ 774\ 657\ 964\ 007\ 982\ 006\ 790\ 592\ 551\dots$ <sup>[20]</sup>
- Embree–Trefethen constant  $\beta^* = 0.702\ 58\dots$
- Sarnak's constant  $0.723\ 648\dots$ <sup>[21]</sup>
- Landau–Ramanujan constant  $0.764\ 223\ 653\ 589\ 220\ 662\ 990\ 698\ 731\ 25\dots$
- C(1):  $0.779\ 893\ 400\ 376\ 822\ 829\ 474\ 206\ 413\ 65\dots$
- $\frac{1}{\zeta(3)} = 0.831\ 907\dots$ , the probability that three random numbers have no common factor greater than 1.<sup>[8]</sup>
- Brun's constant for prime quadruplets  $B_2 = 0.870\ 588\ 3800\dots$
- Quadratic class number constant  $0.881\ 513\dots$ <sup>[22]</sup>
- Catalan's constant  $G = 0.915\ 965\ 594\ 177\ 219\ 015\ 054\ 603\ 514\ 932\ 384\ 110\ 774\dots$
- Viswanath's constant  $\sigma(1) = 1.131\ 988\ 248\ 7943\dots$
- Khinchin–Lévy constant  $1.186\ 569\ 1104\dots$ <sup>[2]</sup>
- $\zeta(3) = 1.202\ 056\ 903\ 159\ 594\ 285\ 399\ 738\ 161\ 511\ 449\ 990\ 764\ 986\ 292\dots$ , also known as Apéry's constant, known to be irrational, but not known whether or not it is transcendental.<sup>[23]</sup>
- Vardi's constant  $E = 1.264\ 084\ 735\ 305\dots$
- Glaisher–Kinkelin constant  $A = 1.282\ 427\ 12\dots$
- Mills' constant  $A = 1.306\ 377\ 883\ 863\ 080\ 690\ 46\dots$
- Totient summatory constant  $1.339\ 784\dots$ <sup>[24]</sup>
- Ramanujan–Soldner constant  $\mu = 1.451\ 369\ 234\ 883\ 381\ 050\ 283\ 968\ 485\ 892\ 027\ 449\ 493\dots$
- Backhouse's constant  $1.456\ 074\ 948\dots$
- Favard constant  $K_1 = 1.570\ 796\ 33\dots$
- Erdős–Borwein constant  $E = 1.606\ 695\ 152\ 415\ 291\ 763\dots$
- Somos' quadratic recurrence constant  $\sigma = 1.661\ 687\ 949\ 633\ 594\ 121\ 296\dots$
- Niven's constant  $c = 1.705\ 211\dots$
- Brun's constant  $B_2 = 1.902\ 160\ 583\ 104\dots$
- Landau's totient constant  $1.943\ 596\dots$ <sup>[25]</sup>
- $\exp(-W_0(-\ln(\sqrt[3]{3}))) = 2.478\ 052\ 680\ 288\ 30\dots$ , the smaller solution to  $\mathfrak{X} = x^3$  and what, when put to the root of itself, is equal to 3 put to the root of itself.<sup>[26]</sup>
- Second Feigenbaum constant  $\alpha = 2.5029\dots$
- Sierpiński's constant  $K = 2.584\ 981\ 759\ 579\ 253\ 217\ 065\ 8936\dots$
- Barban's constant  $2.596\ 536\dots$ <sup>[27]</sup>
- Khinchin's constant  $K_0 = 2.685\ 452\ 001\dots$ <sup>[3]</sup>
- Fransén–Robinson constant  $F = 2.807\ 770\ 2420\dots$
- Murata's constant  $2.826\ 419\dots$ <sup>[28]</sup>
- Lévy's constant  $\gamma = 3.275\ 822\ 918\ 721\ 811\ 159\ 787\ 681\ 882\dots$
- Reciprocal Fibonacci constant  $\psi = 3.359\ 885\ 666\ 243\ 177\ 553\ 172\ 011\ 302\ 918\ 927\ 179\ 688\ 905\ 133\ 731\dots$
- Van der Pauw's constant  $\frac{\pi}{\ln 2} = 4.532\ 360\ 141\ 827\ 193\ 809\ 62\dots$ <sup>[29]</sup>
- First Feigenbaum constant  $\delta = 4.6692\dots$

## Numbers not known with high precision

- The constant in the Berry–Esseen Theorem  $0.4097 < C < 0.4748$
- 2nd Landau's constant  $0.4330 < B < 0.472$
- Bloch's constant  $0.4332 < B < 0.4719$
- 1st Landau's constant  $0.5 < L < 0.5433$
- 3rd Landau's constant  $0.5 < A \leq 0.7853$
- Grothendieck constant  $1.57 < k < 1.79$

## Hypercomplex numbers

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Hypercomplex numbers is a traditional term for an element of a unital algebra over the field of real numbers.

### Algebraic complex numbers

- Imaginary unit  $i = \sqrt{-1}$
- $n$ th roots of unity:  $(\xi_n)^k = \cos(2\pi \frac{k}{n}) + i \sin(2\pi \frac{k}{n})$ , while  $0 \leq k \leq n-1$ ,  $\text{GCD}(k, n) = 1$

### Other hypercomplex numbers

- The quaternions
- The octonions
- The sedenions
- The dual numbers (with an infinitesimal)

## Transfinite numbers

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Transfinite numbers are numbers that are "infinite" in the sense that they are larger than all finite numbers, yet not necessarily absolutely infinite

- Aleph-null:  $\aleph_0$ : the smallest infinite cardinal, and the cardinality of  $\mathbb{N}$ , the set of natural numbers
- Aleph-one:  $\aleph_1$ : the cardinality of  $\omega_1$ , the set of all countable ordinal numbers
- Beth-one:  $\beth_1$  the cardinality of the continuum  $2^{\aleph_0}$
- $\mathfrak{c}$  or  $c$ : the cardinality of the continuum  $2^{\aleph_0}$
- omega:  $\omega$ , the smallest infinite ordinal

## Numbers representing measured quantities

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Various terms have arisen to describe commonly used measured quantities.

- Pair: 2 (the base of the binary numeral system)
- Dozen: 12 (the base of the duodecimal numeral system)
- Baker's dozen: 13
- Score: 20 (the base of the vigesimal numeral system)
- Gross: 144 (=  $12^2$ )
- Great gross: 1728 (=  $12^3$ )

## Numbers representing physical quantities

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Physical quantities that appear in the universe are often described using physical constants

- Avogadro constant  $N_A = 6.022\,141\,7930 \times 10^{23} \text{ mol}^{-1}$

- Coulomb's constant  $k_e = 8.987\,551\,787\,368 \times 10^9 \text{ N}\cdot\text{m}^2/\text{C}^2$  (m/F)
- Electronvolt  $eV = 1.602\,176\,487\,40 \times 10^{-19} \text{ J}$
- Electron relative atomic mass  $A_r(e) = 0.000\,548\,579\,909\,4323\dots$
- Fine structure constant  $\alpha = 0.007\,297\,352\,537\,650\dots$
- Gravitational constant  $G = 6.673\,84 \times 10^{-11} \text{ N}\cdot(\text{m}/\text{kg})^2$
- Molar mass constant  $M_u = 0.001 \text{ kg/mol}$
- Planck constant  $h = 6.626\,068\,9633 \times 10^{-34} \text{ J}\cdot\text{s}$
- Rydberg constant  $R_\infty = 10\,973\,731.568\,527\,73 \text{ m}^{-1}$
- Speed of light in vacuum  $c = 299\,792\,458 \text{ m/s}$
- Stefan–Boltzmann constant  $\sigma = 5.670\,400 \times 10^{-8} \text{ W}\cdot\text{m}^{-2}\cdot\text{K}^{-4}$

## Numbers without specific values

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Many languages have words expressing indefinite and fictitious numbers—inexact terms of indefinite size, used forever comic effect, for exaggeration, as placeholder names or when precision is unnecessary or undesirable. One technical term for such words is "non-numerical vague quantifier"<sup>[30]</sup> Such words designed to indicate large quantities can be called "indefinite hyperbolic numerals"<sup>[31]</sup>

## See also

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- English-language numerals
- Floating point
- Fraction (mathematics)
- Integer sequence
- Interesting number paradox
- Large numbers
- List of numbers in various languages
- List of prime numbers
- List of types of numbers
- Mathematical constant
- Names of large numbers
- Names of small numbers
- Negative number
- Number prefix
- Numeral (linguistics)
- Orders of magnitude (numbers)
- Ordinal number
- *The Penguin Dictionary of Curious and Interesting Numbers*
- Power of two
- Powers of 10
- SI prefix
- Small number
- Surreal number
- Table of prime factors

## Notes

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1. Rosen, Kenneth (2007). *Discrete Mathematics and its Applications* (6th ed.). New York, NY: McGraw-Hill. pp. 105, 158–160. ISBN 978-0-07-288008-3
2. Rouse, Margaret. "Mathematical Symbols" (<http://searchdatacenter.techtargot.com/definition/Mathematical-Symbols>). Retrieved 1 April 2015.
3. "Eighty-six – Definition of eighty-six by Merriam-Webster" (<http://www.merriam-webster.com/dictionary/86>) *merriam-webster.com*. Archived (<https://web.archive.org/web/20130408004615/http://www.merriam-webster.com/dictionary/86>) from the original on 2013-04-08.
4. Weisstein, Eric W. "Hardy–Ramanujan Number" (<http://mathworld.wolfram.com/Hardy-RamanujanNumber.html>). Archived (<https://web.archive.org/web/20040408221409/http://mathworld.wolfram.com/Hardy-RamanujanNumber.html>) from the original on 2004-04-08.

5. Blunt, Joseph (1 January 1837). "The Shipmaster's Assistant, and Commercial Digest: Containing Information Useful to Merchants, Owners, and Masters of Ships" ([https://books.google.com/books?id=cDkSAAAXAAJ&pg=PA417&lpg=PA417&dq=%22long%20score%22%2021&source=bl&ots=uU-HfR9K0J&sig=YhXx-SlxYVF38x27a\\_X9Ia7ncR8&hl=en&ei=9vjSTbPvM8ezrAeys6jECQ&sa=X&oi=book\\_result&ct=result&resnum=1&ved=0CBgQ6AEwAA#v=onepage&q&f=false](https://books.google.com/books?id=cDkSAAAXAAJ&pg=PA417&lpg=PA417&dq=%22long%20score%22%2021&source=bl&ots=uU-HfR9K0J&sig=YhXx-SlxYVF38x27a_X9Ia7ncR8&hl=en&ei=9vjSTbPvM8ezrAeys6jECQ&sa=X&oi=book_result&ct=result&resnum=1&ved=0CBgQ6AEwAA#v=onepage&q&f=false)). E. & G.W. Blunt – via Google Books.
6. Ezard, John (2 Jan 2003). "Tolkien catches up with his hobbit" (<https://www.theguardian.com/uk/2003/jan/02/jrrtolkien.books>). *The Guardian*. Retrieved 6 Apr 2018.
7. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 27.
8. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 29.
9. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 30.
10. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 33.
11. "Nick's Mathematical Puzzles: Solution 29" (<http://www.qbyte.org/puzzles/p029s.html>) Archived (<https://web.archive.org/web/20111018184029/http://www.qbyte.org/puzzles/p029s.html>) from the original on 2011-10-18.
12. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 69
13. Sequence [OEIS: A019692](#).
14. [OEIS: A065473](#)
15. Weisstein, Eric W. "Gauss–Kuzmin–Wirsing Constant" (<http://mathworld.wolfram.com/Gauss-Kuzmin-WirsingConstant.html>). *MathWorld*.
16. [OEIS: A065464](#)
17. [OEIS: A065478](#)
18. [OEIS: A065493](#)
19. [OEIS: A175639](#)
20. Weisstein, Eric W. "Continued Fraction Constant" (<http://mathworld.wolfram.com/ContinuedFractionConstants.html>) Wolfram Research, Inc. Archived (<https://web.archive.org/web/20111024094057/http://mathworld.wolfram.com/ContinuedFractionConstant.html>) from the original on 2011-10-24.
21. [OEIS: A065476](#)
22. [OEIS: A065465](#)
23. "The Penguin Dictionary of Curious and Interesting Numbers" by David Wells, page 33
24. [OEIS: A065483](#)
25. [OEIS: A082695](#)
26. [OEIS: A166928](#)
27. [OEIS: A175640](#)
28. [OEIS: A065485](#)
29. [OEIS: A163973](#)
30. "Bags of Talent, a Touch of Panic, and a Bit of Luck: The Case of Non-Numerical Logic Quantifiers" from *Linguista Pragmatics*, Nov. 2, 2010 (<http://versita.metapress.com/content/t98071387u726916/?p=1ad6a085630c432c94528c5548f5c2c4&pi=1>) Archived (<https://archive.is/20120731092211/http://versita.metapress.com/content/t98071387u726916/?p=1ad6a085630c432c94528c5548f5c2c4&pi=1>) 2012-07-31 at [Archive.is](#)
31. Boston Globe, July 13, 2016: "The surprising history of indefinite hyperbolic numerals" (<https://www.bostonglobe.com/ideas/2016/07/13/the-surprising-history-indefinite-hyperbolic-numerals/qYTKpkP9lyWVfitLXuTHdM/story.html>)

## Further reading

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- *Kingdom of Infinite Number: A Field Guide* by Bryan Bunch, W.H. Freeman & Company 2001. ISBN 0-7167-4447-3

## External links

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- [The Database of Number Correlations: 1 to 2000+](#)
- [What's Special About This Number? A Zoology of Numbers: from 0 to 500](#)
- [Name of a Number](#)

- [See how to write big numbers](#)
  - [About big numbers at the Library of Congress Web Archives](#) (archived 2001-11-25)
  - [Robert P. Munafo's Large Numbers page](#)
  - [Different notations for big numbers – by Susa Stepney](#)
  - [Names for Large Numbers in \*How Many? A Dictionary of Units of Measurement\* by Russ Rowlett](#)
  - [What's Special About This Number?](#)(from 0 to 9999)
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